

# Goa Board Class IX Mathematics Term II Sample Paper – 5 Solution

## (SECTION - A)

1. Correct Answer: A

If we divide or multiply both sides of a linear equation with a non-zero number, then the solution of the linear equation remains the same as the graph of the equation remains the same in both cases.

2. Correct Answer: C

 $m \angle PSR = m \angle RQP = 125^{\circ}$  (since PQRS is a parallelogram, opposite angles will be equal)  $\Rightarrow \angle PQT = 180^{\circ}$  (PQT is a straight line)  $\Rightarrow m \angle PQR + m \angle RQT = 180^{\circ}$  $\Rightarrow 125^{\circ} + m \angle RQT = 180^{\circ}$  $\Rightarrow m \angle RQT = 55^{\circ}$ 



3. Correct Answer: A

Class size is the difference between two successive class marks. i.e. 10 - 6 = 4

4. Correct Answer: A

Surface area of sphere =  $4\pi r^2$ We know that the right circular cylinder just encloses the sphere of radius r. So height of cylinder = h = 2r. Curved surface area of cylinder =  $2\pi rh = 4\pi r^2$ Find the ratio of surface area of the sphere to the curved surface area of the cylinder = 1 : 1

5. Correct Answer: D

Standard form of the equation in two variables is ax + by + c = 0. 7x = 3 $\Rightarrow 7x + 0y - 3 = 0$ 

6. Correct Answer: C

upper limit + lower limit

2

Class mark =



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7. Correct Answer: D

Let the drop in the oil level be h cm.

Volume of cylinder =  $\pi r^2 h$ 

$$\Rightarrow 11000 = \frac{22}{7} \times \frac{35}{2} \times \frac{35}{2} \times h$$
$$\Rightarrow h = \frac{11000 \times 7 \times 4}{22 \times 35 \times 35}$$
$$\Rightarrow h = 11\frac{3}{7} \text{ cm}$$

8. Correct Answer: B

The sum of opposite angles of a cyclic quadrilateral is 180°.  $m \angle M + m \angle 0 = 180^{\circ}$  $m \angle 0 = 180^{\circ} - 82^{\circ} = 98^{\circ}$ 



#### (SECTION - B)

**9.** Given,

T.S.A. of the cube = 294 cm<sup>2</sup>  $6 \times 1 \times 1 = 294$  [:: T.S.A. of cube =  $6 \times 1^2$ ]  $\Rightarrow 1^2 = \frac{294}{6}$   $\Rightarrow 1^2 = 49$   $\Rightarrow 1 = \sqrt{49} = 7$  cm  $\Rightarrow$  Side (1) = 7 cm. Volume of cube =  $1 \times 1 \times 1 = 7 \times 7 \times 7 = 343$  cm<sup>3</sup>

**10.** Number of students born in August = 6 Total number of students = 40 Required probability=  $\frac{\text{Number of students born in August}}{\text{Total number of students}} = \frac{6}{40} = \frac{3}{20}$ 

# **11.** Making the class int<u>ervals continuous, we get</u>

IQ	Number of children
54.5-64.5	0
64.5-74.5	120
74.5-84.5	140
84.5-94.5	134
94.5-104.5	90
104.5-114.5	108
114.5-124.5	38
124.5-134.5	15





#### **12.** We observe that

 $m \angle AOC = m \angle AOB + m \angle BOC = 60^\circ + 30^\circ = 90^\circ$ We know that the angle subtended by an arc at its centre has twice the measure of any angle subtended by it any point on the

remaining part of the circle.

$$\mathbf{m} \angle \mathbf{ADC} = \frac{1}{2} \mathbf{m} \angle \mathbf{AOC} = \frac{1}{2} \times 90^{\circ} = 45^{\circ}$$

**13.** Let the smallest value of data be x.

The largest value = 3xWe know that the range of a data = largest value – smallest value  $\Rightarrow 2x = 45$  $\Rightarrow x = 22.5$  $\Rightarrow 3x = 67.5$ 

The smallest value and the largest values of the data are 22.5 and 67.5 respectively.

**14.** AD is the median of  $\triangle$ ABC and hence will divide it into two triangles of equal areas.

 $\therefore \operatorname{Area}(\Delta ABD) = \operatorname{Area}(\Delta ACD) \qquad \dots (1)$ Now ED is the median of  $\Delta EBC$ .  $\therefore \operatorname{Area}(\Delta EBD) = \operatorname{Area}(\Delta ECD) \qquad \dots (2)$ Subtract equation (2) from equation (1), we have  $\operatorname{Area}(\Delta ABD) - \operatorname{Area}(EBD) = \operatorname{Area}(\Delta ACD) - \operatorname{Area}(\Delta ECD)$   $\operatorname{Area}(\Delta ABE) = \operatorname{Area}(\Delta ACE)$ 



## (SECTION – C)

**15.** No. of white balls = x Total no. of balls = 12

P(white ball) =  $\frac{x}{12}$ 

If 6 white balls are added: Total balls = 18 White balls = x + 6

: New probability of getting a white ball = p'(white ball) =  $\frac{x+6}{18}$ 

According to the question:

$$\frac{x+6}{18} = \frac{2x}{12}$$
$$\Rightarrow \frac{x+6}{18} = \frac{x}{6}$$
$$\Rightarrow 6x + 36 = 18x$$
$$\Rightarrow x = 3$$





- 16. Length (l<sub>1</sub>) of the storehouse = 40 m Breadth (b<sub>1</sub>) of the storehouse = 25 m Height (h<sub>1</sub>) of the storehouse = 10 m Volume of storehouse = l<sub>1</sub> × b<sub>1</sub> × h<sub>1</sub> = (40 × 25 × 10) m<sup>3</sup> = 10000 m<sup>3</sup> Length (l<sub>2</sub>) of a wooden crate = 1.5 m Breadth (b<sub>2</sub>) of a wooden crate = 1.25 m Height (h<sub>2</sub>) of a wooden crate = 0.5 m Volume of a wooden crate = l<sub>2</sub> × b<sub>2</sub> × h<sub>2</sub> = (1.5 × 1.25 × 0.5) m<sup>3</sup> = 0.9375 m<sup>3</sup> Let n wooden crates be stored in the storehouse. Volume of n wooden crates = volume of storehouse 0.9375 × n = 10000  $n = \frac{10000}{0.9375} = 10666.66$ Thus, 10666 numbers of wooden crates can be stored in storehouse.
- **17.** Inner radius of hemispherical bowl = 5 cm Thickness of the bowl = 0.25 cm  $\therefore$  Outer radius (r) of hemispherical bowl = (5 + 0.25) cm = 5.25 cm Outer C.S.A. of hemispherical bowl =  $2\pi r^2 = 2 \times \frac{22}{7} \times (5.25 \text{ cm})^2 = 173.25 \text{ cm}^2$

Thus, the outer curved surface area of the bowl is  $173.25 \text{ cm}^2$ .

#### 18.

i. Length of leaves are represented in a discontinuous class intervals having a difference of 1mm in between them. So we have to add  $\frac{1}{2} = 0.5$ mm to each upper class limit and also have to subtract 0.5mm from the lower class limits so as to make our class intervals continuous.

Length (in mm)	Number of leaves
117.5 - 126.5	3
126.5 - 135.5	5
135.5 - 144.5	9
144.5 - 153.5	12
153.5 - 162.5	5
162.5 - 171.5	4
171.5 - 180.5	2

Now taking length of leaves on the x-axis and number of leaves on the y-axis we can draw the histogram of this information as below:







Here 1 unit on the y-axis represents 2 leaves.

- ii. Other suitable graphical representation of this data could be frequency polygon.
- iii. No as maximum numbers of leaves (i.e. 12) have their length in between of 144.5 mm and 153.5 mm. It is not necessary that all have their lengths as 153 mm.
- **19.** Let the digit in the units place be x and the digit in the tens place be y.

Then x = 3y and the number = 10y + x

The number obtained by reversing the digits is 10x + y.

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If 36 is added to the number, the digits interchange their places.
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So we have 10y + x + 36 = 10x + y
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 $\Rightarrow 9y - 9x + 36 = 0$  $\Rightarrow 9x - 9y = 36$ 

 $\Rightarrow 9(x - y) = 36$ 

$$\gamma = 1$$

⇒ x - y = 4 .....(i)

Substituting the value of x = 3y in equation (i), we get

3y - y = 4

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\Rightarrow 2y = 4
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 $\Rightarrow$  y = 2

$$\Rightarrow$$
 y = 2

Substituting the value of y = 2 in equation (i), we get

$$x - 2 = 4$$

 $\Rightarrow$  x = 4 + 2

$$\Rightarrow$$
 x = 6

Therefore, the number becomes 26.

#### OR

Let Yamini and Fatima contributed x and y respectively towards the Prime Minister's Relief fund.

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Amount contributed by Yamini + amount contributed by Fatima = 100
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x + y = 100

Now we observe that (100, 0) and (0, 100) satisfy the above equation.



So, (100, 0) and (0, 100) are solutions of above equation. The graph of equation x + y = 100 can be drawn as follows:



Here we may find that variable x and y are representing the amount contributed by Yamini and Fatima respectively and these quantities may not be negative. Hence we will consider only those values of x and y which are lying in 1<sup>st</sup> quadrant.

- **20.** Following are the steps of construction:
  - i. Take the given ray PQ. Draw an arc of some radius taking point P as its centre, which intersects PQ at R.
  - ii. Taking R as the centre and with the same radius as before, draw an arc intersecting the previously drawn arc at S.
  - iii. Taking S as centre and with the same radius as before, drawn an arc intersecting the arc at T (see figure)
  - iv. Taking S and T as the centres, draw arcs of the same radius which intersect each other at U.
  - v. Join PU, which is the required ray making 90° with the given ray PQ.





Justification of construction: We can justify the construction, if we can prove  $m \angle UPQ = 90^{\circ}$ . For this let us join PS and PT We have  $m \angle SPQ = m \angle TPS = 60^{\circ}$ . In (iii) and (iv) steps of this construction, we have drawn PU as the bisector of  $\angle$ TPS.  $\therefore m \angle UPS = \frac{1}{2} m \angle TPS = \frac{1}{2} \times 60^\circ = 30^\circ$ Now,  $\angle UPQ = \angle SPQ + \angle UPS$  $= 60^{\circ} + 30^{\circ}$ = 90° Q **21.** Side (a) of the cube = 12 cm Volume of the cube =  $a^3 = (12 \text{ cm})^3 = 1728 \text{ cm}^3$ Let the side of each smaller cube be l. Volume of each smaller cube =  $\left(\frac{1728}{8}\right)$  cm<sup>3</sup> = 216 cm<sup>3</sup>  $l^3 = 216 \text{ cm}^3$  $\Rightarrow$  l = 6 cm Thus, the side of each smaller cube is 6 cm. Surface area of the bigger cube Ratio between surface areas of the cubes = Surface area of the smaller cube  $=\frac{6a^2}{6l^2}=\frac{6(12)^2}{6(6)^2}=\frac{4}{1}$ So, the required ratio between the surface areas of the cubes is 4 : 1. **22.** Given: ABCD is a parallelogram such that angle bisector of adjacent angles A and B intersect at point P. To Prove that  $m \angle APB = 90^{\circ}$ .  $\Rightarrow$  AD||BC  $\Rightarrow$  m $\angle$ A + m $\angle$ B = 180° [ $\angle$ A and  $\angle$ B are consecutive interior angles.]  $\Rightarrow \frac{1}{2} \mathrm{m} \angle \mathrm{A} + \frac{1}{2} \mathrm{m} \angle \mathrm{B} = 90^{\circ}$ D But,  $\frac{1}{2}$  m $\angle$ A+ $\frac{1}{2}$  m $\angle$ B + m $\angle$ APB = 180° [Sum of angles of a triangle is 180°.]

 $\Rightarrow 90^{\circ} + m \angle APB = 180^{\circ}$ 

 $\Rightarrow$  m $\angle$ APB = 90°

B



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**23.** Given: ABCD is a trapezium. E is the mid-point of AD and AB || CD, EF || AB. To prove: F is the mid-point of BC В Construction: Join AC to intersect EF at point G. Proof: EF || DC [Given]  $\Rightarrow$  EG || DC Ε Since E is mid-point of AD. ∴G is the mid-point of AC. [By converse of midpoint theorem] In  $\triangle ABC$ , FG || AB Đ G is the mid-point of AC  $\therefore$  F is the mid-point of BC. **24.** Total number of families = 475 + 814 + 211 = 1500 i. Number of families with 2 girls = 475Required probability =  $\frac{\text{Number of families with 2 girls}}{\frac{1}{2}}$ Total number of families  $=\frac{475}{1500}=\frac{19}{60}$ ii. Number of families with 1 girl = 814Required probability =  $\frac{\text{Number of families with 1 girl}}{\text{Total number of families}}$  $=\frac{814}{1500}=\frac{407}{750}$ iii. Number of families with no girls = 211 Required probability =  $\frac{\text{Number of families with no girls}}{T}$ Total number of families  $=\frac{211}{1500}$ Sum of all these probabilities  $=\frac{19}{60} + \frac{407}{750} + \frac{211}{1500}$  $=\!\frac{475\!+\!814\!+\!211}{1500}$  $=\frac{1500}{1500}=1$ Thus, the sum of all these probabilities is 1.



# (SECTION D)

25. Length of the bigger box = 25 cm Breadth of the bigger box = 20 cm Height of the bigger box = 5 cm Total surface area of the bigger box = 2(lb + lh + bh) =  $[2(25 \times 20 + 25 \times 5 + 20 \times 5)]$  cm<sup>2</sup> = [2(500 + 125 + 100)] cm<sup>2</sup> = 1450 cm<sup>2</sup> (1450×5)

Extra area required for overlapping =  $\left(\frac{1450 \times 5}{100}\right)$  cm<sup>2</sup> = 72.5 cm<sup>2</sup>

Considering all overlaps, total surface area of 1 bigger box =  $(1450 + 72.5) \text{ cm}^2$   $\therefore$  Considering all overlaps, total surface area of 1 bigger box =  $1522.5 \text{ cm}^2$ Area of cardboard sheet required for 250 bigger boxes =  $(1522.5 \times 250) \text{ cm}^2$   $\therefore$  Area of cardboard sheet required for 250 such bigger boxes =  $380625 \text{ cm}^2$ Total surface area of smaller box =  $[2(15 \times 12 + 15 \times 5 + 12 \times 5] \text{ cm}^2$  $= [2(180 + 75 + 60)] \text{ cm}^2$ 

$$= [2(180 + 75 + 60)] cn$$
  
= (2 × 315) cm<sup>2</sup>  
= 630 cm<sup>2</sup>

Extra area required for overlapping =  $\left(\frac{630 \times 5}{100}\right)$  cm<sup>2</sup> = 31.5 cm<sup>2</sup>

Considering all overlaps, total surface area of 1 smaller box = (630 + 31.5) cm<sup>2</sup>  $\therefore$  considering all overlaps, total surface area of 1 smaller box = 661.5 cm<sup>2</sup> Area of cardboard sheet required for 250 smaller boxes =  $(250 \times 661.5)$  cm<sup>2</sup>  $\therefore$  Area of cardboard sheet required for 250 smaller boxes = 165375 cm<sup>2</sup> Total cardboard sheet required = (380625 + 165375) cm<sup>2</sup> = 546000 cm<sup>2</sup> Cost of 1000 cm<sup>2</sup> cardboard sheet = Rs. 4

 $\therefore \text{ Cost of 546000 cm}^2 \text{ cardboard sheet } = \text{Rs.}\left(\frac{546000 \times 4}{1000}\right) = \text{Rs. 2184}$ 

So, cost of cardboard sheet required for 250 boxes of each kind will be Rs. 2184.

26.

i. Edge of cube = 10 cm

Length (l) = 12.5 cm, Breadth (b) = 10 cm, Height (h) = 8 cm Lateral surface area of cubical box =  $4(edge)^2 = 4(10 cm)^2 = 400 cm^2$ Lateral surface area of cuboidal box = 2[lh + bh]

= 
$$[2(12.5 \times 8 + 10 \times 8)]$$
 cm<sup>2</sup>  
=  $(2 \times 180)$  cm<sup>2</sup>

$$= 360 \text{ cm}^2$$

Clearly, the lateral surface area of the cubical box is greater than the lateral surface area of the cuboidal box.

Lateral surface area of cubical box – Lateral surface area of cuboidal box = 400 cm<sup>2</sup> – 360 cm<sup>2</sup> = 40 cm<sup>2</sup>





Therefore, the lateral surface area of the cubical box is greater than the lateral surface area of the cuboidal box by 40 cm<sup>2</sup>.

ii. Total surface area of cubical box =  $6(edge)^2 = 6(10 \text{ cm})^2 = 600 \text{ cm}^2$ Total surface area of cuboidal box = 2[lh + bh + lb]

 $= [2(12.5 \times 8 + 10 \times 8 + 12.5 \times 100] \text{ cm}^2$ 

$$= 610 \text{ cm}^2$$

Clearly, the total surface area of the cubical box is smaller than that of the cuboidal box.

Total surface area of cuboidal box – Total surface area of cubical box =  $610 \text{ cm}^2 - 600 \text{ cm}^2 = 10 \text{ cm}^2$ .

Therefore, the total surface area of the cubical box is smaller than that of the cuboidal box by 10 cm<sup>2</sup>.

**27.** Given: Base BC = 7.5 cm, the difference between the other two sides AB - AC or AC - AB = 2.5 cm and one base angle =  $45^{\circ}$ .

Let AB > AC

AB - AC = 2.5 cm

Steps of Construction:

- 1. Draw a ray BX and cut off a line segment BC = 7.5 cm from it.
- 2. Construct m∠YBC = 45°
- 3. Cut off a line segment BD = 2.5 cm from BY.
- 4. Join CD.
- 5. Draw perpendicular bisector RS of CD intersecting BY at a point A.
- 6. Join AC.  $\triangle$ ABC is the required triangle.



Justification: RS is the perpendicular bisector of DC. So, AD = AC BD = AB - AD = AB - AC



### OR

Following are the steps of construction:

- i. Take the given ray PQ. Draw an arc of some radius taking point P as its centre, which intersects PQ at R.
- ii. Taking R as the centre and with the same radius as before, draw an arc intersecting the previously drawn arc at S.
- iii. Taking S as centre and with the same radius as before, draw an arc intersecting the arc at T (see figure)
- iv. Taking S and T as centre, draw arc of same radius to intersect each other at U.
- v. Join PU, which is the required ray making  $90^{\circ}$  with given ray PQ.



Justification of Construction:

We can justify the construction, if we can prove  $\angle$  UPQ = 90°. For this let us join PS and PT



We have  $\angle$  SPQ =  $\angle$  TPS = 60°. In (iii) and (iv) steps of this construction, we have drawn PU as the bisector of  $\angle$  TPS.

$$\therefore \angle UPS = \frac{1}{2} \angle TPS = \frac{1}{2} \times 60^{\circ} = 30^{\circ}$$
  
Now,  $\angle UPQ = \angle SPQ + \angle UPS = 60^{\circ} + 30^{\circ} = 90^{\circ}$ 



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28. Length (l) of the greenhouse = 30 cm Breadth (b) of the greenhouse = 25 cm Height (h) of the greenhouse = 25 cm Total surface area of the greenhouse= 2[lb + lh + bh]=  $[2(30 \times 25 + 30 \times 25 + 25 \times 25)]$  cm<sup>2</sup> = [2(750 + 750 + 625)] cm<sup>2</sup> =  $(2 \times 2125)$  cm<sup>2</sup> = 4250 cm<sup>2</sup> Therefore, area of glass is 4250 cm<sup>2</sup>. (ii)Total length of tape = 4(l + b + h)= [4(30 + 25 + 25)] cm = 320 cm Therefore, 320 cm tape is required for all the 12 edges.



**29.** Height (h) of the cylindrical tank = 4.5 m Radius (r) of circular end of the cylindrical tank =

$$\left(\frac{4.2}{2}\right)m=2.1 m$$

i. Lateral or curved surface area of tank =  $2\pi rh = \left(2 \times \frac{22}{7} \times 2.1 \times 4.5\right) m^2 = 59.4 m^2$ 

ii. Total surface area of tank =  $2\pi r (r + h) = \left[2 \times \frac{22}{7} \times 2.1 \times (2.1 + 4.5)\right] m^2 = 87.12 m^2$ 

Let A  $m^2$  of steel sheet be actually used to make the tank.

$$\therefore A\left(1 - \frac{1}{12}\right) = 87.12 \text{ m}^2$$
$$\Rightarrow A = \left(\frac{12}{11} \times 87.12\right) \text{ m}^2$$

 $\Rightarrow$  A = 95.04 m<sup>2</sup>

Thus, 95.04 m<sup>2</sup> steel was used in actually making the tank.

30. Given: Two circles intersect at two points B and C. Through B, two line segments ABD and PBQ are drawn to intersect the circles at A, D and P, Q respectively. To Prove: ∠ACP = ∠QCD. Construction: Join chords AP and DQ Consider chord AP, ∠PBA = ∠ACP (Angles in the same segment) ... (1) Consider chord DQ, ∠DBQ = ∠QCD (Angles in the same segment) ... (2) ABD and PBQ are line segments intersecting at B. ∴ ∠PBA = ∠DBQ (Vertically opposite angles) ... (3) From equations (1), (2), and (3), we obtain ∠ACP = ∠QCD





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**31.** Consider the triangle BFC:

Using Pythagoras Theorem, we have, D 6 cm  $CF^2 + BF^2 = BC^2$  $\Rightarrow$  CF<sup>2</sup> + 8<sup>2</sup> = 17<sup>2</sup>  $\Rightarrow$  CF<sup>2</sup> = 225  $\Rightarrow$  CF = 15 CF and DE are the perpendiculars from C and D to AB. Also AB is parallel to CD. E Thus, we have, CD = EF and CF = DE – 12 cm – Since AF = 12 cm, AE = AF - EF $\Rightarrow AE = AF - CD$  $\Rightarrow AE = 12 - 6$  $\Rightarrow$ AE = 6 cm Thus, area of  $\triangle ADE = = \frac{1}{2} \times AE \times DE = \frac{1}{2} \times 6 \times 15 = 45 \text{ cm}^2$ Area of rectangle CDEF =  $6 \times 15 = 90 \text{ cm}^2$ Area of  $\triangle BCF = =\frac{1}{2} \times BF \times CF = \frac{1}{2} \times 8 \times 15 = 60 \text{ cm}^2$ Area of quadrilateral ABCD = Area of  $\triangle$ ADE + Area of rectangle CDEF + Area of  $\triangle$ BCF Thus,

Area of quadrilateral ABCD =  $45 + 90 + 60 = 195 \text{ cm}^2$ .

32. We can find class marks of given class intervals by using the formula –

 $Class mark = \frac{upper class limit + lower class limit}{upper class limit + lower class limit}$ 

		Z			
Section A			Section B		
Marks	Class marks	Frequency	Marks	Class	Frequency
				marks	
0 - 10	5	3	0 - 10	5	5
10 - 20	15	9	10 - 20	15	19
20 - 30	25	17	20 - 30	25	15
30 - 40	35	12	30 - 40	35	10
40 - 50	45	9	40 - 50	45	1

Now taking class marks on the x-axis and frequency on the y-axis and choosing an appropriate scale (1 unit = 3 for the y-axis) we can draw a frequency polygon as below -

C

17 cm

 $\rightarrow$  < 8 cm  $\rightarrow$ 



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From the graph we can see performance of students of section 'A' is better than the students of section 'B' as for good marks.

**33.** Diameter= 24 m  $\Rightarrow$  radius =12 m

Radius of the conical part = Radius of the cylindrical part (r) = 12 m Height of cylindrical part (h) = 11 m, height of the cone (h) = 5 m For the conical part of the circus tent,  $l^2 = r^2 + h^2$   $\Rightarrow l = \sqrt{r^2 + h^2}$   $\Rightarrow l = \sqrt{12^2 + 5^2} = 13 m$ Thus, l = 13 m Surface area of the tent = Curved surface area of the conical part + curved surface area of the cylindrical part Surface area of the tent =  $\pi rl + 2\pi rh = \pi r(l + 2h) = \frac{22}{7} \times 12 (13 + 22) = \frac{22}{7} \times 12 \times 35$ Surface area of the tent =  $1320 \text{ m}^2$ Breadth of canvas (B) = 5 m, Let length of canvas = L Area of canvas required = surface area of the tent L × B = 1320

$$\Rightarrow L = \frac{1320}{5} = 264 \,\mathrm{m}$$

Thus 264 m long canvas is required.





**34.** Let us assume that Laxmi purchased x bananas and y oranges. Since each banana costs Rs. 2, x bananas cost Rs.  $2 \times x = Rs. 2x$ Similarly, each orange costs Rs. 3. Thus, y oranges cost Rs.3  $\times$  y = Rs. 3y Thus, the total amount paid by Laxmi is Rs. (2x + 3y), which equals Rs. 30 Thus, we can express the given information in the form of a linear equation as 2x + 3y = 30Now, we know that Laxmi purchased 6 oranges, i.e., the value of y is 6. Substitute this value of y in the equation 2x + 3y = 30, thereby reducing it to a linear equation in one variable. We can then solve the equation to obtain the value of x.  $2x + 3 \times 6 = 30$  $\Rightarrow 2x + 18 = 30$ This is a linear equation in one variable.  $\Rightarrow 2x = 30 - 18$  $\Rightarrow 2x = 12$ ⇒x = 6 Thus, we see that the value of x is 6, i.e., Laxmi purchased 6 bananas.